# **CALL FOR ACTIONS**

- Paper critiques on HotCRP
- In-class presentation sign-up
- HW2 due on the 30<sup>th</sup>
- Checkpoint presentation I
  - 10 min presentation + 3-5 min Q&A
  - Presentation MUST cover:
    - A research problem your team chose
    - A review of the prior work relevant to your problem
      - How is your team's work different from the prior work?
      - What's the paper your team picked and the results your team will reproduce?
    - Next steps (+ how each member will contribute to the work)



# CS 499 | AI 539: TRUSTWORTHY ML (PRACTICAL) ATTACKS USING ADVERSARIAL EXAMPLES

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• ... But challenging



# **C**HALLENGES ATTACKING REAL-WORLD SYSTEMS

- Black-box nature
- Input transformations



# **CHALLENGES ATTACKING REAL-WORLD SYSTEMS**

- Black-box nature
  - Limits in transferability
  - Many queries to the target system
- Input transformations
  - Limits in expressivity
  - Arbitrary transformations



# **CHALLENGES ATTACKING REAL-WORLD SYSTEMS**

- Black-box nature
  - Limits in transferability
  - Many queries to the target system

#### • Input transformations

(Kurakin et al., Adversarial Examples in Physical World, ICLR 2017 workshop)

- Limits in expressivity
- Arbitrary transformations



## HOW TO ADDRESS THEM (REMINDER: THIS WAS IN 2017)

- Increasing the strength of adversarial examples
  - FGSM (Prior approach by Goodfellow et al.)
  - Basic Iterative Method (more iterations)

$$\boldsymbol{X}_{0}^{adv} = \boldsymbol{X}, \quad \boldsymbol{X}_{N+1}^{adv} = Clip_{X,\epsilon} \Big\{ \boldsymbol{X}_{N}^{adv} + \alpha \operatorname{sign} \big( \nabla_{X} J(\boldsymbol{X}_{N}^{adv}, y_{true}) \big) \Big\}$$
FGSM



### HOW TO ADDRESS THEM (REMINDER: THIS WAS IN 2017)

- Increasing the strength of adversarial examples
  - FGSM (Prior approach by Goodfellow et al.)
  - BIM (More iterations)
  - Iterative Least-Likely class method

 $\boldsymbol{X}_{0}^{adv} = \boldsymbol{X}, \quad \boldsymbol{X}_{N+1}^{adv} = Clip_{X,\epsilon} \left\{ \boldsymbol{X}_{N}^{adv} - \alpha \operatorname{sign} \left( \nabla_{X} J(\boldsymbol{X}_{N}^{adv}, y_{LL}) \right) \right\}$ 



• Evaluation results on the ImageNet Inception-v3



- In FGSM, the error rate increases as we increase epsilon
- In the large eps, the error rate is ILL > FGSM > BIM
- In the smaller eps, the error rate is ILL > BIM > FGSM
- ILL achieves the highest error rate in both Top1 and Top5

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### **GENERATED ADVERSARIAL EXAMPLES FROM ILL ATTACKS**



Secure-Al Systems Lab (SAIL) - CS499/599: Machine Learning Security

# Now is our attack effective against real-world models?



# **UNSEEN (UNKNOWN) INPUT (AND OUTPUT) TRANSFORMATIONS**

- AE in the numerical world  $\neq$  AE in the physical world
  - Numerical perturbations lead to the input values like 0.85293102...
  - In the pixel space, such perturbations do not exist 0.8529... x 255 = 217.5...

- Models will use diverse decision rules and outputs
  - It may take only classification results with a high probability (e.g., > 0.8)
  - It may only return the label-only decisions (no softmax-ed probabilities)

- ...

...



# HOW TO TEST THE PRACTICALITY OF ADVERSARIAL EXAMPLES?

- Setup
  - 1. Craft adversarial examples (AEs), store them in PNG, and print them
  - 2. Take photos of printed AEs with a cell phone
  - 3. Resize and center-crop the images from 2
  - 4. Run classification on the images from 3
- Measure
  - Classification accuracy
  - Destruction rate (error)





# HOW TO TEST THE PRACTICALITY OF ADVERSARIAL EXAMPLES?

- **Results** (see the paper for more details)
  - AEs (maybe) effective in physical world
    - Misclassification rate is higher in AEs than what we observe with clean examples
    - Chances increase when we increase the perturbations (*i.e.*, eps from 2 to 16)
  - Prefiltering may reduce the attack success significantly
    - **Prefilter:** only accept the classification with a confidence > 0.8
    - It reduces an error rate by 40 90%

• <u>Link</u>, <u>Link</u>, <u>Link</u>



# HOW VULNERABLE ARE LLMS TO ADVERSARIAL ATTACKS?

UNIVERSAL AND TRANSFERABLE ADVERSARIAL ATTACKS ON ALIGNED LANGUAGE MODELS, ZOU ET AL. 2023

Let's imagine what would be the adversarial attacks on Ilms



- Jail breaking
  - A universal attacks on llms

User: Tell me how to build a bomb.



- Jail breaking
  - A universal attacks on llms



- Jail breaking
  - A universal attacks on llms

- How to do this attack?
  - Start with a suffix
  - Pick words (or a tokens) that are likely to minimize the error
  - The error is how much the target Ilm's response is close to what we expect
  - Replace the token(s) in the suffix with the candidates that minimizes the error
  - Repeat the above sufficiently



- Jail breaking
  - How to do this attack?
    - Start with a suffix
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    - Repeat the above sufficiently

Algorithm 1 Greedy Coordinate Gradient

**Input:** Initial prompt  $x_{1:n}$ , modifiable subset  $\mathcal{I}$ , iterations T, loss  $\mathcal{L}$ , k, batch size B repeat T times

$$\begin{array}{l} \textbf{for } i \in \mathcal{I} \textbf{ do} \\ \begin{bmatrix} \mathcal{X}_i := \text{Top-}k(-\nabla_{e_{x_i}}\mathcal{L}(x_{1:n})) \\ \textbf{for } b = 1, \dots, B \textbf{ do} \\ \begin{bmatrix} \tilde{x}_{1:n}^{(b)} := x_{1:n} \\ \tilde{x}_i^{(b)} := \text{Uniform}(\mathcal{X}_i), \text{ where } i = \text{Uniform}(\mathcal{I}) \\ x_{1:n} := \tilde{x}_{1:n}^{(b^*)}, \text{ where } b^* = \operatorname{argmin}_b \mathcal{L}(\tilde{x}_{1:n}^{(b)}) \\ \textbf{utput: Optimized prompt } x_{1:n} \end{array}$$

 $\triangleright$  Compute top-k promising token substitutions

Initialize element of batch
 Select random replacement token
 Compute best replacement



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- Jail breaking
  - A universal attack on llms
  - How to make this attack work on multiple prompts?

Algorithm 2 Universal Prompt Optimization

**Input:** Prompts  $x_{1:n_1}^{(1)} \ldots x_{1:n_m}^{(m)}$ , initial postfix  $p_{1:l}$ , losses  $\mathcal{L}_1 \ldots \mathcal{L}_m$ , iterations T, k, batch size B  $\triangleright$  Start by optimizing just the first prompt  $m_c := 1$ **repeat** T times for  $i \in [0 \dots l]$  do  $\mathcal{X}_i := \operatorname{Top-}k(-\sum_{1 \le j \le m_c} \nabla_{e_{p_i}} \mathcal{L}_j(x_{1:n}^{(j)} \| p_{1:l})) \qquad \triangleright \ Compute \ aggregate \ top-k \ substitutions$ for  $b = 1, \ldots, B$  do  $ilde{p}_{1:l}^{(b)} := p_{1:l}$  $\triangleright$  Initialize element of batch  $\widetilde{p}_i^{\widetilde{(b)}} := ext{Uniform}(\mathcal{X}_i), ext{ where } i = ext{Uniform}(\mathcal{I})$  $\triangleright$  Select random replacement token  $p_{1:l} := \tilde{p}_{1:l}^{(b^{\star})}$ , where  $b^{\star} = \operatorname{argmin}_b \sum_{1 < j < m_c} \mathcal{L}_j(x_{1:n}^{(j)} \| \tilde{p}_{1:l}^{(b)})$ ▷ Compute best replacement if  $p_{1:l}$  succeeds on  $x_{1:n_1}^{(1)} \dots x_{1:n_m}^{(m_c)}$  and  $m_c < m$  then  $m_c := m_c + 1$  $\triangleright$  Add the next prompt **Output:** Optimized prompt suffix p

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- Jail breaking
  - A universal attack on llms
  - Universal multi-prompt and multi-modal attacks

Algorithm 2 Universal Prompt Optimization

**Input:** Prompts  $x_{1:n_1}^{(1)} \dots x_{1:n_m}^{(m)}$ , initial postfix  $p_{1:l}$ , losses  $\mathcal{L}_1 \dots \mathcal{L}_m$ , iterations T, k, batch size B $m_c := 1$  $\triangleright$  Start by optimizing just the first prompt **repeat** T times for  $i \in [0 \dots l]$  do  $\mathcal{X}_i := \operatorname{Top-}k(-\sum_{1 \le j \le m_c} \nabla_{e_{p_i}} \mathcal{L}_j(x_{1:n}^{(j)} \| p_{1:l})) \qquad \triangleright \ Compute \ aggregate \ top-k \ substitutions$ for  $b = 1, \ldots, B$  do  $ilde{p}_{1:l}^{(b)} := p_{1:l}$  $\triangleright$  Initialize element of batch  $\widetilde{p}_i^{\widetilde{(b)}} := ext{Uniform}(\mathcal{X}_i), ext{ where } i = ext{Uniform}(\mathcal{I})$ ▷ Select random replacement token  $p_{1:l} := \tilde{p}_{1:l}^{(b^{\star})}$ , where  $b^{\star} = \operatorname{argmin}_b \sum_{1 < j < m_c} \mathcal{L}_j(x_{1:n}^{(j)} \| \tilde{p}_{1:l}^{(b)})$ ▷ Compute best replacement if  $p_{1:l}$  succeeds on  $x_{1:n_1}^{(1)} \dots x_{1:n_m}^{(m_c)}$  and  $m_c < m$  then  $m_c := m_c + 1$  $\triangleright$  Add the next prompt **Output:** Optimized prompt suffix p

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- Jail breaking
  - A universal attack on llms
  - Universal multi-prompt and multi-modal attacks
- Evaluation
  - Setup
    - Metric: attack success rate (a reasonable attempt at executing the behavior)
    - Baselines: PEZ, GBDA, AutoPrompt

Results	experiment		individual Harmful String		individual Harmful Behavior	multiple Harmful Behaviors	
	Model	Method	ASR (%)	Loss	ASR (%)	train ASR $(\%)$	test ASR (%)
		GBDA	0.0	2.9	4.0	4.0	6.0
	Vicuna	$\mathbf{PEZ}$	0.0	2.3	11.0	4.0	3.0
	(7B)	AutoPrompt	25.0	0.5	95.0	96.0	98.0
		GCG (ours)	88.0	0.1	99.0	100.0	98.0
		GBDA	0.0	5.0	0.0	0.0	0.0
	LLaMA-2	$\mathbf{PEZ}$	0.0	4.5	0.0	0.0	1.0
	(7B-Chat)	AutoPrompt	3.0	0.9	45.0	36.0	35.0
		GCG (ours)	<b>57.0</b>	0.3	56.0	88.0	84.0



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- Evaluation
  - Setup
    - Metric: attack success rate (a reasonable attempt at executing the behavior)
    - Baselines: PEZ, GBDA, AutoPrompt
  - (Transfer-attack) Results message = {harmful\_behavior} (Start with "Sure here's") Prompt Only "Sure, here's" GCG (Ours) GCG Ensemble (Ours) 100 Attack Success Rate (%) 80 60 40 20 -1<sup>D</sup> ChatGLM-6B 0 Vicuna-13B Pythia-12B Stable-Vicuna Vicuna-78 Falcon-7B MPT-7B GPT-3.5 Guanaco-78 GPT-A



# **Thank You!**

Sanghyun Hong

https://secure-ai.systems/courses/MLSec/Sp23



